

'SEMIONDUCTORS'
'SEMICONDUCTORS'

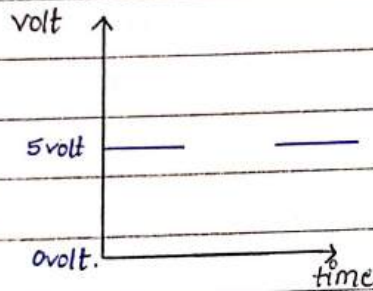
Semiconductors

SEMICONDUCTORS.

BOOLEAN ALGEBRA

Digital signal

- 0 → 0 volt → low → off → no
- 1 → 5 volt → high → on → yes



	<u>Addition</u>	<u>Multiplication</u>	<u>Inverse</u>
A = 0, 1	0 + 0 = 0	0 · 0 = 0	$\overline{0} = 1$
B = 1, 0	0 + 1 = 1	1 · 0 = 0	$\overline{1} = 0$
↓	1 + 1 = 1	1 · 1 = 1	$\overline{\overline{1}} = 1$
variable	1 + 1 + 1 + 0 = 1	A · 0 = 0	$\overline{0} = 0$
	A + 0 = A	A · 1 = A	$\overline{\overline{A+B}} = A+B$
	A + 1 = 1	A · $\overline{A} = 0$	
	A + $\overline{A} = 1$	A · A = A	
	A + A = A		

MR* = Takat ya to '0' ke pass hogi ya A ke pass majority

Takat ya to '1' ke pass hogi ya variable ke pass majority

1) A > 0

1 < A < 0

Q $AB + \bar{A} + 1 = ??$

Ans $\overline{AB \cdot \bar{A}} + 1 = 1$



DE-MORGANS LAW

$$\overline{A+B} = \bar{A} \cdot \bar{B}$$

$$\overline{A \cdot B} = \bar{A} + \bar{B}$$

$$\overline{\bar{A} + \bar{B}} = \overline{A \cdot B}$$

Commutative law

$$A+B = B+A$$

$$A \cdot B = B \cdot A$$

Associative law

$$A + (B+C) = (A+B) + C$$

Distributive law

$$A \cdot (B+C) = A \cdot B + A \cdot C$$

Q Simplify

$$\begin{aligned} \overline{\bar{A}B + \bar{B}A} &= \overline{\bar{A} \cdot B \cdot \bar{B}A} \\ &= (\bar{\bar{A} + \bar{B}}) \cdot (\bar{\bar{B} + \bar{A}}) \\ &= (A + \bar{B}) \cdot (B + \bar{A}) \\ &= AB + A\bar{A} + \bar{B}B + \bar{A}\bar{B} \\ &= \boxed{AB + \bar{A}\bar{B}} \end{aligned}$$

Q $AB + \bar{A}\bar{B}$

→ $\overline{AB + \bar{A}\bar{B}}$

$$\overline{AB + \bar{A}\bar{B}} = \overline{AB} \cdot \overline{\bar{A}\bar{B}}$$

$$= (\bar{A} + \bar{B}) \cdot (\bar{\bar{A}} + \bar{\bar{B}})$$

$$= (\bar{A} + \bar{B}) \cdot (A + B)$$

$$= \bar{A}A + \bar{A}B + A\bar{B} + \bar{B}B$$

$$= \bar{A}B + \bar{B}A \quad \text{ANS}$$

Q Find $y = A + AB$

$$\Rightarrow y = A + AB$$

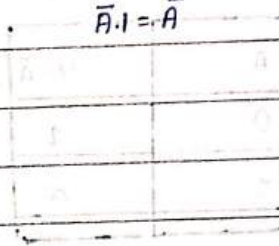
$$= A[1 + B]$$

$$= A \cdot 1 = A$$

Q Find $y = B\bar{A} + \bar{B}A = ?$

$$\Rightarrow \bar{A}[B + \bar{B}]$$

$$\bar{A} \cdot 1 = \bar{A}$$



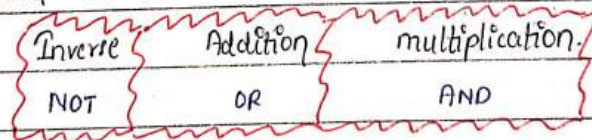
Q Find $y = A\bar{B} + AB =$

ANS $y = A[\bar{B} + B]$

$$A \cdot 1 = A$$

Fundamental gate

Based on fundamental operations



Universal gate

Gate by which any gate can be formed

eg NOR / NAND

Special gate

X-OR

X-NOR

NOT GATE

Based on inverse operation

Single input gate

Fundamental gate

Formed using Common emitter transistor

Boolean expression $Y = \bar{A}$

Circuit symbol

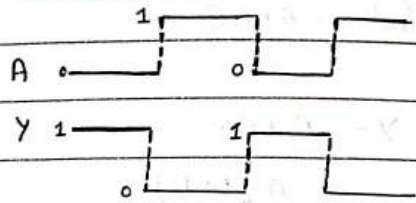


$$Y = \bar{A}$$

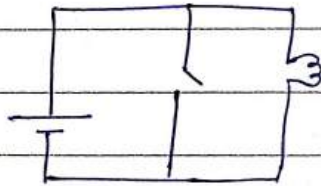
Truth table

A	$Y = \bar{A}$
0	1
1	0

Time scale



Electric equivalent \rightarrow Electrical realisation



AND GATE


Two input circuit

Based on multiplication operation.



Fundamental Gate

Formed using two diode

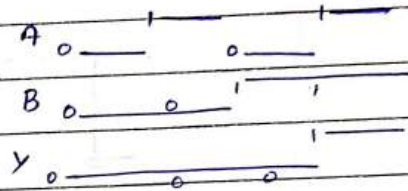
Circuit symbol  $Y = A \cdot B$

Output is only high when both the input is high
Output is low when any one input is low.

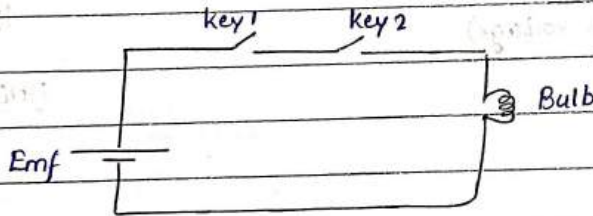
Truth table

A	B	$Y = AB$
0	0	0
0	1	0
1	0	0
1	1	1

Time scale



Electric equivalent circuit for AND GATE



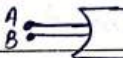
OR-GATE Two input device

Based on Addition operation

Fundamental gate

Formed using two diode

Boolean expression $Y = A + B$

Circuit symbol  $Y = A + B$

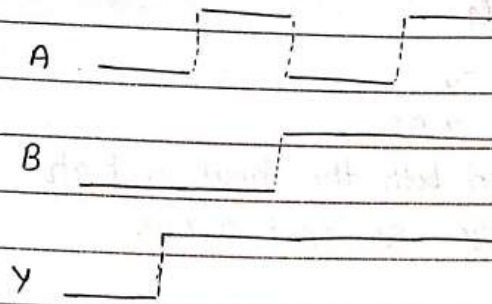
Output is high when any one of the input is high.

Output is low when both the input is low.

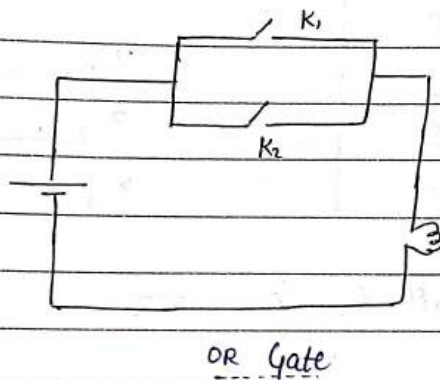
Truth table

A	B	$Y = A + B$
0	0	0
0	1	1
1	0	1
1	1	1

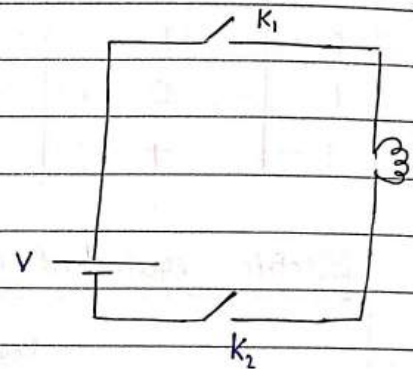
Time scale



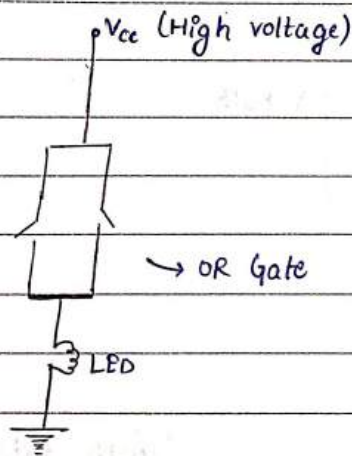
Electrical equivalent circuit for OR Gate



OR Gate



AND Gate



NOR GATE (opposite of OR gate)

Universal gate :- Any gate can be formed using this gate

Boolean expression $\Rightarrow Y = \overline{A+B}$

NOR GATE \rightarrow OR + NOT

Universal gate

All gate can be formed using this

Boolean expression $Y = \overline{A+B}$

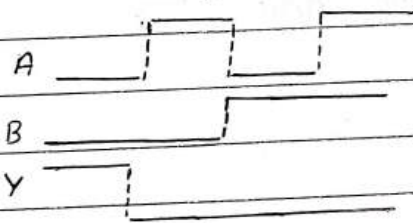
Circuit symbol \Rightarrow



Truth table

A	B	Y
0	0	1
0	1	0
1	0	0
1	1	0

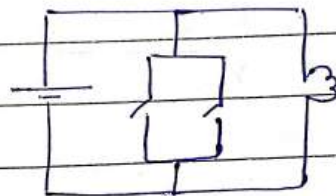
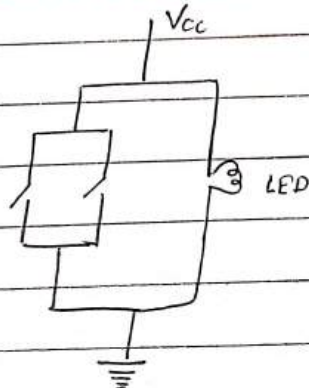
Time scale



Output is ^{only} high when both the input is low.

Output is low when any one input is high

Electrical equivalent circuit

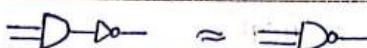


NAND GATE

↓
AND + NOT

Universal gate

All Gate can be formed using this

Circuit symbol 

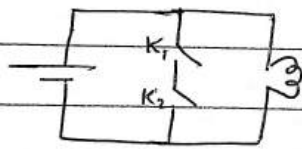
Boolean expression $Y = \overline{AB}$

Truth table

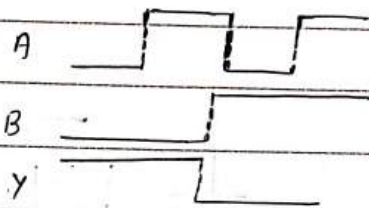
A	B	AB	\overline{AB}
1	0	0	1
0	0	0	1
1	1	1	0
0	1	0	1

Output is only low when both the input is high
Output is high when any one input is low.

Electrical circuit

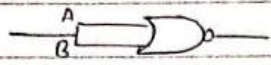


Time scale



SINGLE Input NOR GATE AND NAND GATE

Single input nor gate

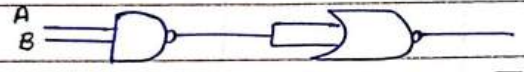


If (A=B) then $Y = \overline{A+B}$
 $Y = \overline{A}$ Not gate

∴ single input NOR Gate → Not Gate

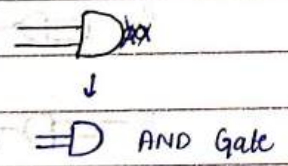
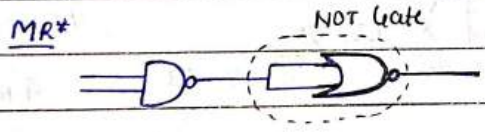
Single input NAND Gate → NOT GATE

Q Find name of Gate?

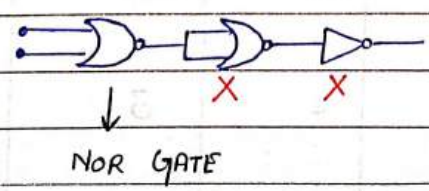


$Y = A \cdot B$ $Y' = \overline{A \cdot B} = A \cdot B$

Net result $A, B \rightarrow A \cdot B$
 ↓
 AND Gate



Q The given electrical network is equivalent to.



Q The output (x) of the logic circuit as shown in figure will be.

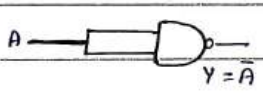


⇒ $x = A \cdot B$

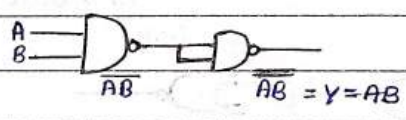
FORMATION OF DIFFERENT GATE USING NAND GATE

GATE	NOT	AND	OR	NOR
No. of NAND Gate required for different gate	1	2	3	4

For NOT GATE

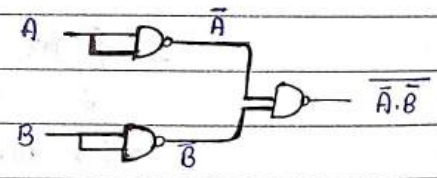


For AND GATE



For OR Gate

$Y = A + B = \overline{\overline{A+B}} = \overline{\overline{A} \cdot \overline{B}}$



FORMATION OF DIFFERENT GATE USING NOR

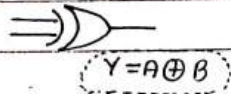
	NOT	OR	AND	NAND
No. of NOR Gate	1	2	3	4

X-OR GATE

Special purpose gate

Boolean expression $Y = \bar{A}B + \bar{B}A$

Circuit symbol $Y = A \oplus B = \bar{A}B + \bar{B}A$



Truth table

A	B	Y
0	0	0
0	1	1
1	0	1
1	1	0

- Output is high when both the input is different
- Output is low when both the input is same

X-NOR Gate

X-OR + NOT

⇒ Boolean expression

$$Y = \overline{A \oplus B}$$

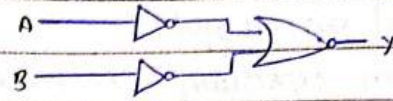
$$Y = \overline{A\bar{B} + \bar{A}B}$$

A	B	Y
0	0	1
0	1	0
1	0	0
1	1	1

Q For the logic circuit shown, the truth table is.

ans

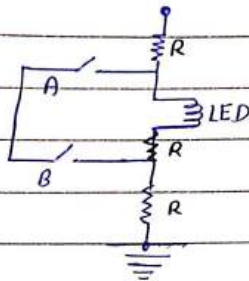
A	B	Y
1	0	0
0	0	0
1	1	1
0	1	0



$$\Rightarrow Y = \overline{\overline{A}} + \overline{\overline{B}} = \overline{\overline{A \cdot B}} = AB$$

behave as AND Gate

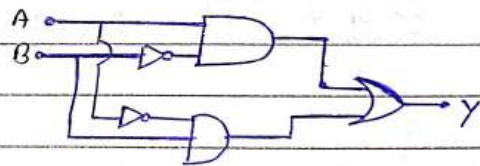
Q The ^{correct} Boolean operation represented by the circuit diagram drawn is.



- a) NOR b) AND
c) OR d) NAND

Q In the combination of the following gates the output Y can be written in terms of inputs A and B as.

- a) $\overline{A \cdot B}$ b) $A \cdot \overline{B} + \overline{A} \cdot B$
c) $\overline{A \cdot B} + A \cdot B$ d) $A + \overline{B}$



$$\Rightarrow A \cdot \overline{B} + \overline{A} \cdot B$$

Q What is the output Y in the following circuit, when all three inputs A, B, C are first 0, then

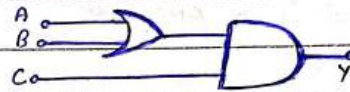


- a) 0,1 b) 0,0
~~c) 1,0~~ d) 1,1

Ans 1,0

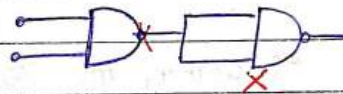
Q To get output 1 for the following circuit, the correct choice for the output is.

- a) $A=1, B=1, C=0$
~~b) $A=1, B=0, C=1$~~
 c) $A=0, B=1, C=0$
 d) $A=1, B=0, C=0$



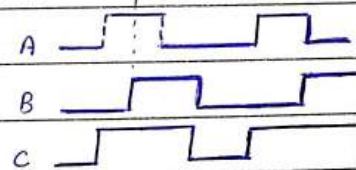
Q The output form of a NAND gate is divided into two in parallel and fed to another NAND gate. The resulting gate is a

- ~~a) AND gate~~
 b) NOR gate
 c) OR gate
 d) NOT gate



Q The given figure shows a logic circuit with two inputs A and B and the output C. The voltage wave forms across A, B and C are as given. The logic circuit gate is.

- ~~a) OR gate~~
 b) NOR gate
 c) AND gate
 d) NAND gate.



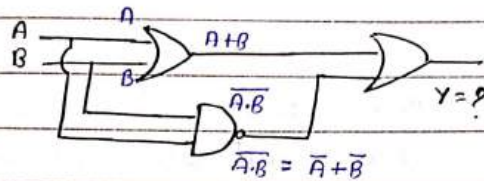
Q Name the gate



→

$$\begin{aligned}
 Y &= A \cdot (\bar{A} + B) \\
 &= A\bar{A} + AB \\
 &= AB \\
 \therefore &\text{ it is an AND gate.}
 \end{aligned}$$

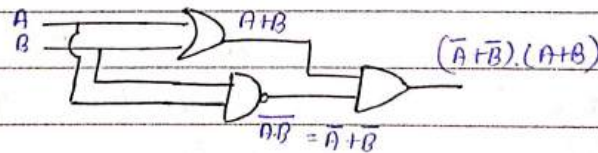
Q what is output



$$\begin{aligned}
 Y &= A + B + \bar{A} + \bar{B} \\
 &= 1 + 1 = 1
 \end{aligned}$$

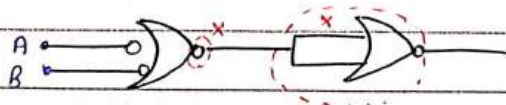
Whatever the input output is also high

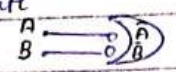
Q Name the gate



$$\begin{aligned}
 Y &= \bar{A}\bar{A} + \bar{A}B + \bar{B}A + \bar{B}\bar{B} \\
 &\Rightarrow \bar{A}B + \bar{B}A \\
 &\text{X-OR Gate}
 \end{aligned}$$

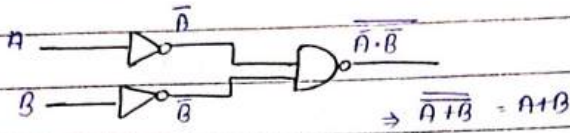
Q Name the gate



Resulting gate  $\Rightarrow \overline{A \cdot B}$
 $= \overline{A \cdot B}$

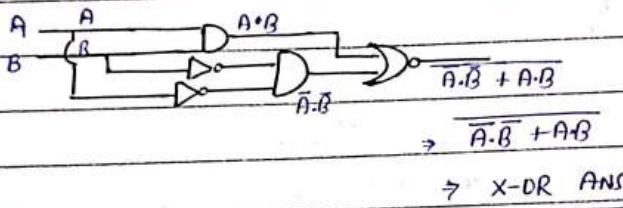
\therefore it is a NAND Gate

Q Name of gate



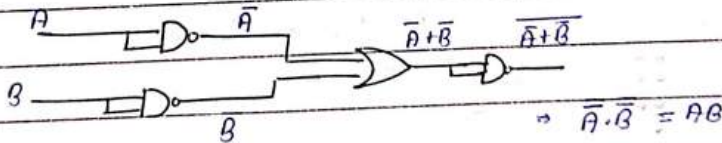
it is an OR gate

Q



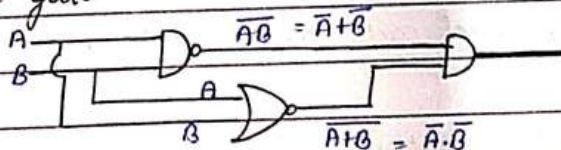
OR + NOT = NOR
NOR + NOT = XOR

Q Name the gate



it is a NAND gate

Q Name the gate



$$Y = (\overline{A+B}) \cdot (\overline{A \cdot B})$$

$$\Rightarrow \overline{A \cdot B} + \overline{\overline{A+B}}$$

$$\Rightarrow \overline{A \cdot B} + \overline{A+B} = \overline{A \cdot B} = \overline{A+B} = \text{NOR Gate}$$

Semiconductor

Conductor is conductor, insulator is insulator but semiconductor have dual nature.

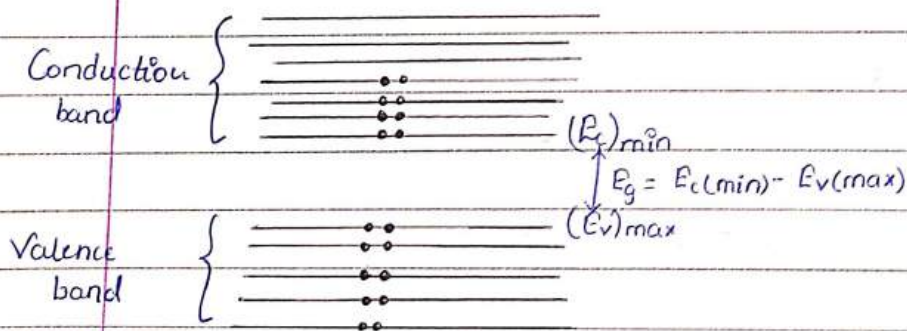
Q Why semiconductor is important?

- . Conductivity and resistivity can be controlled
no. of charge carriers can be controlled.
Unidirectional current flows.

Resistivity

Conductor	$10^{-2} \Omega m$ to $10^{-8} \Omega m$
Semi cond.	$10^{-5} \Omega m$ to $10^{+6} \Omega m$
Insulator	$10^{11} \Omega m$ to $10^{19} \Omega m$

Energy band diagram for a crystal



Conduction band

Infinite energy level each fixed with two electron

There are free e^- s

Current flows due to these e^- .

Valence band

Infinite energy level always filled with e^- , these are bonded e^- . Current do not flow due to these e^- .

$E_g = E_{gap}$ energy is provided by heat, light, electric field.

Metal

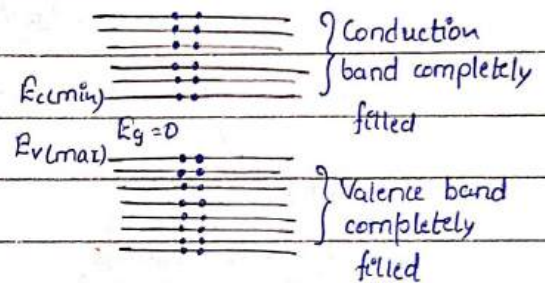
$E_g = 0$, zero or very small

$$E_g = E_{c(\min)} - E_{v(\max)}$$

Band diagram for metal

Q Hole is formed or not?

→ Yes **hole** will be formed but its life time is very small



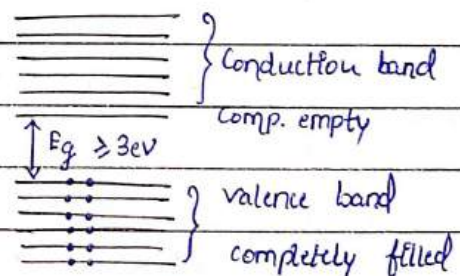
bonded e^- ka tootna Temp \uparrow { Randomness of $e^- \uparrow$ }
At 0 K current can flow in conductor.

Insulator

$E_g \geq 3eV$

⇒ very large

⇒ no current

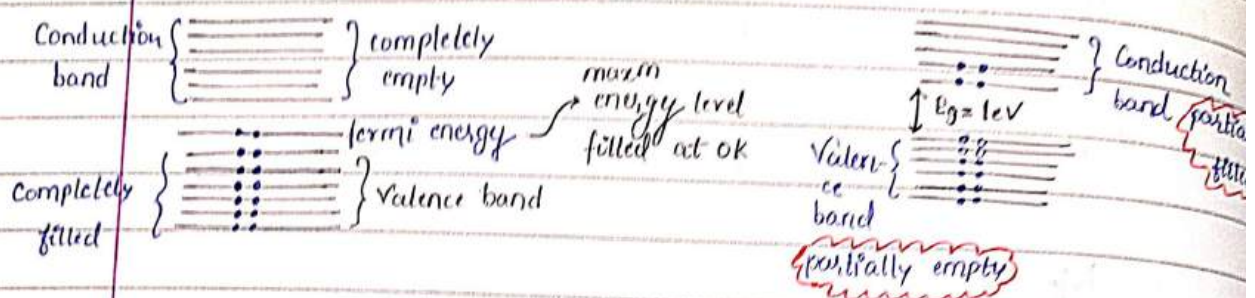


Temp \uparrow ⇒ Conductivity is increased in very small amount.

Semiconductor $E_g = 0.7\text{eV}$ \rightarrow $E_g = 1.5 / 1.4\text{eV}$
 $E_g = 1.1\text{eV}$
 $E_g = 1.1\text{eV}$

At $T = 0\text{K}$

At 300K (room temp)



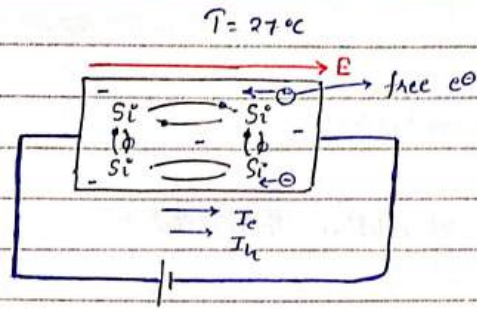
$n_i = n_e = n_h$
 no. of free e^- per unit volume
 no. of holes per unit volume
 no. of intrinsic charge carriers per unit volume

$n_i = [n_e] = [n_h]$
 intrinsic charge carriers

Hole \Rightarrow Deficiency of e^- , charge = $+e$
 effective mass of hole $>$ effective mass of electron. ($\because m_h \gg m_e$)

as temp \uparrow no. of e^- hole pair also increased
 hence conductivity increases.

Recombination When free e^- collide with hole the free e^- recombine with the hole that decreases the conductivity



$$I_{net} = I_e + I_h$$

but here $I_e \gg I_h$

∴

mobility of $e^0 \gg \gg$ mobility of hole

Q Is this intrinsic semiconductor useful?

⇒ No because its conductivity depends only on temperature and also conductivity is varies.

$$I_{net} = I_e + I_h$$

$$I_{net} = n_e A e V_{de} + n_h e A V_{dh}$$

$$= n_i e A [V_{de} + V_{dh}]$$

$$= n_i e A E [μ_e + μ_h] \quad (\because \mu E = V_d)$$

$$= \frac{n_i e A V}{l} [\mu_e + \mu_h]$$

Temperature

Conductor
α = +ve
coefficient
of resistivity

Semiconductor
α = -ve

Insulator

Increases

Randomness

↑

↑ (but in less amt)

e^0 hole pair

constant

↑

↑ (very less amount)

conductivity

↓

↑

↑

resistivity

↑

↓

drift velocity *

↓

↓

Decreases

Randomness

↓

↓ (but in less amt)

e^0 hole pair

const

↓

↓ (but in small amt)

conductivity

↑

↓

↓

resistivity

↓

↑

Drift velocity *

↑

↑

Extrinsic semiconductors.

at room temp ← Doping :- process of adding impurity

N-type

Pentavalent impurity

Eg: P, As, Sb

$$n_e \gg n_h$$

n_e = majority charge carriers

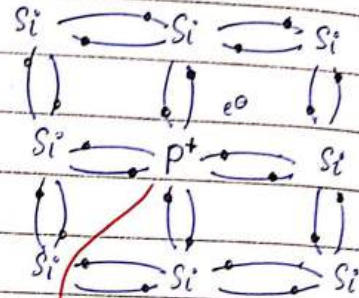
n_h = minority charge carriers

$$I_e \gg I_h$$

$$Q_{net} = 0$$

$$N_D \approx n_e \quad [N_D \leq n_e]$$

some e^- s due to thermal excitation



fixed +ve donor ion

P^{5e} (Neutral)

$1e^-$ will be donated by P

$P^+ \Rightarrow$ +ve P^{ion}

P-type

Trivalent impurity

Eg:- B, In, Al

$$n_e \ll n_h$$

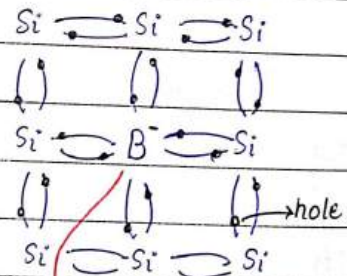
I_h = hole current majority

I_e = minority current

$$Q_{net} = 0$$

$$N_A \approx n_h \quad (n_h > N_A)$$

at room temp some holes will be created due to thermal excitation



fixed -ve acceptor ion

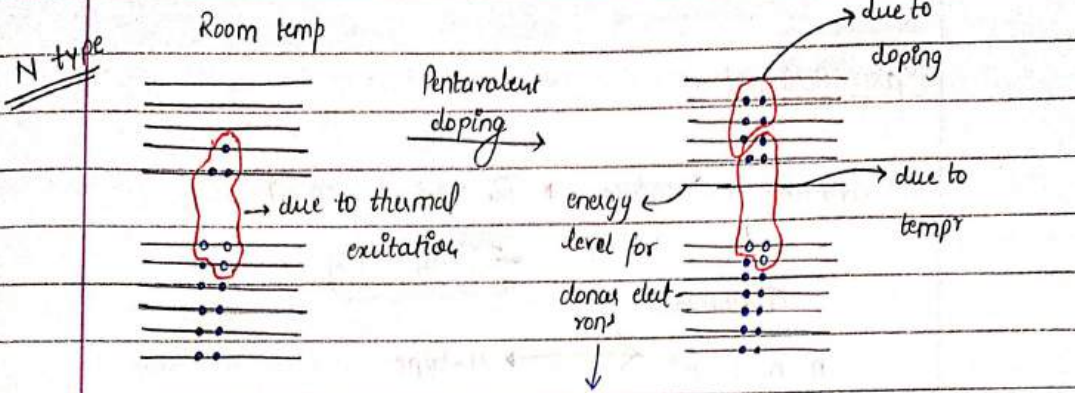
B^{3e} (Neutral)

Boron will accept one

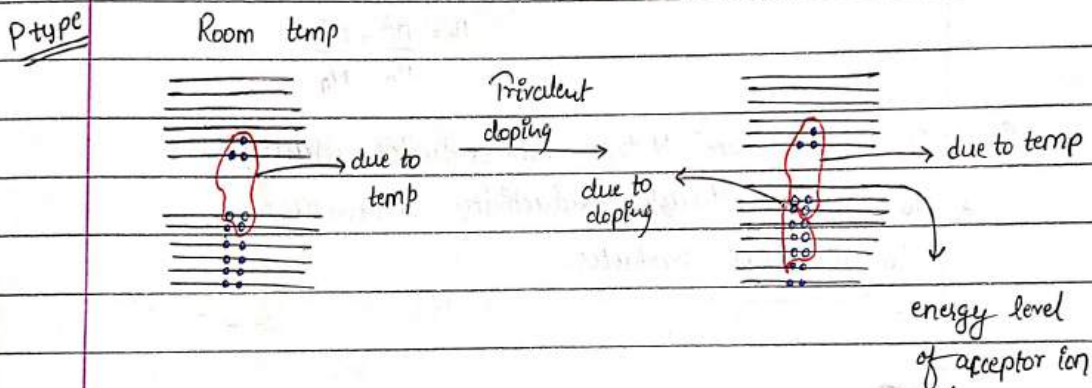
$$n_h \approx N_A$$

extra e^-

$B^- \Rightarrow$ -ve ion



since they are free from covalent bond they have very high energy than bonded electron but low energy than e^- s in conduction band.



Here the electron has to break the covalent bonding to get into the conduction band. Therefore its energy level is closest to the valence energy level.

this energy level belongs to holes which in turn means the electrons which move from one hole to another.

Mass-Action law

At constant temperature

↓
Isothermal

$$n_e \cdot n_h = n_i^2$$

for intrinsic [pure]

$$n_e = n_h = n_i$$

→ N-type

$$n_e \approx N_D$$

$$n_h = \frac{n_i^2}{n_e} = \frac{n_i^2}{N_D}$$

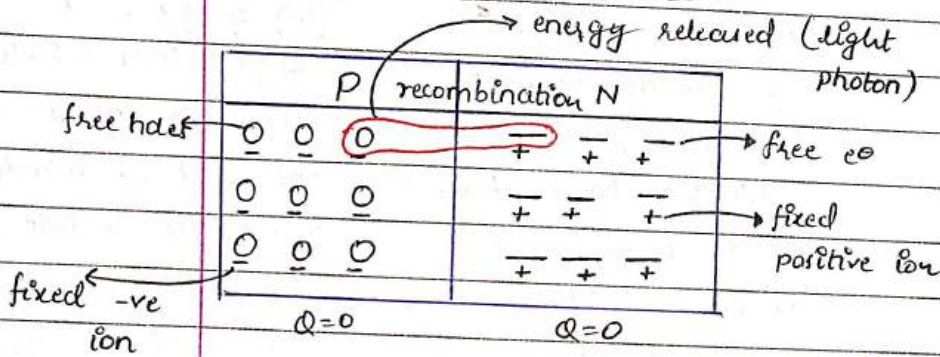
→ P-type

$$n_h \approx N_A \quad n_e \approx \frac{n_i^2}{N_A}$$

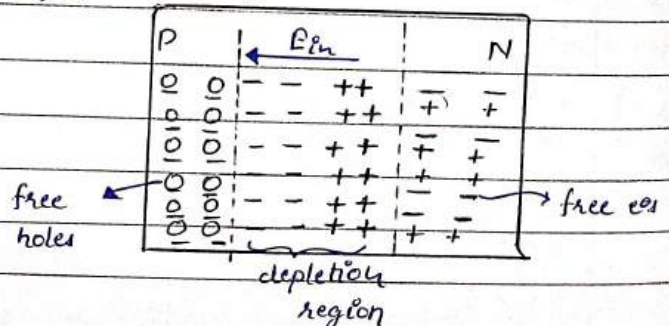
$$n_e = \frac{n_i^2}{n_h} = \frac{n_i^2}{N_A}$$

Q Is P-type and N type semiconductors useful?
⇒ No, because though conductivity is increased but we have conductor.

P-N JUNCTION DIODE



after some time

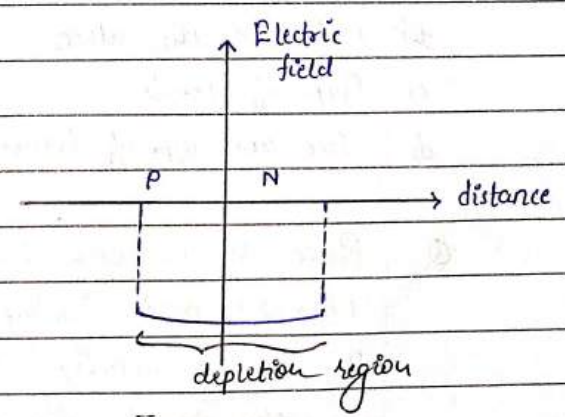
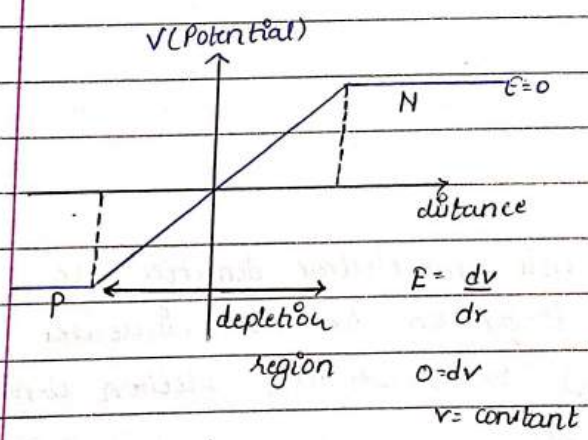
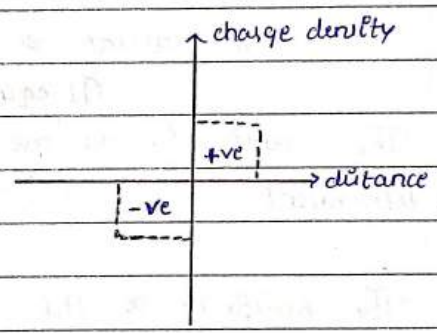
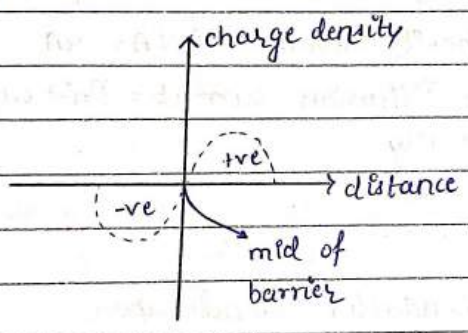


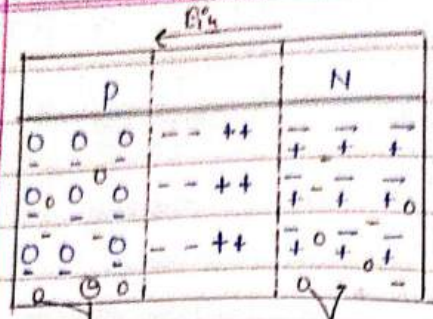
Electric field \rightarrow from N \rightarrow P
 Width of depletion region \Rightarrow $1\mu\text{m}$
 Potential barrier = $E_g \approx 0.7 \text{ volt} \approx 0.5 \text{ volt}$

Electron will diffuse from N \rightarrow P
 hole will diffuse from P \rightarrow N
 Diffusion current \rightarrow due to concentration difference.

$I_D \rightarrow [P \text{ to } N]$

$E = \frac{\Delta V}{\Delta r} = \frac{0.5}{1\mu\text{m}} = 5 \times 10^5 \text{ V/m} = \text{constant}$
 $|E| = \frac{dv}{dr} \rightarrow E \int dr = \int dv$
 $E r = V \Rightarrow V \propto r$
 Very high electric field





minority
charge
carriers

minority
charge carriers

due to electric field

e^- will drift from P to N

hole will drift from N to P

I_{drift} [from N to P]

Diffusion current \Rightarrow Majority current = 10^{-3} Amp \Rightarrow mA

Drift current \Rightarrow minority current = 10^{-6} A = μ A

At equi \Rightarrow Diffusion current = Drift current.

Q The semiconductors are generally
 \Rightarrow tetravalent

Q The resistivity of the semiconductor depends upon.

a) size of the atom

~~b)~~ nature of the atom

c) Type of bonds

d) size and type of bonds.

Q Pure Si at 300K has hole and electron densities are $1.5 \times 10^{16} \text{ m}^{-3}$. Doping it by an impurity increases the hole density (n_h) to $4.5 \times 10^{22} \text{ m}^{-3}$. Electron density in the doped silicon is.

$\Rightarrow n_i = 1.5 \times 10^{16}$

$n_h = 4.5 \times 10^{22}$

$$n_i^2 = n_h n_e$$

$$\frac{1.5 \times 1.5 \times 10^{32}}{4.5 \times 10^{22}} = n_e$$

$$n_e = 5 \times 10^9 \text{ m}^{-3}$$

Q In an intrinsic (pure) semiconductor the number of conduction electrons is 7×10^{19} per cubic metre. Find the total number of current carriers (electrons and holes) in a same semiconductor of size $1 \text{ cm} \times 1 \text{ cm} \times 1 \text{ mm}$.

$$\Rightarrow n_i = 7 \times 10^{19} \text{ m}^{-3}$$

$$n_e = 7 \times 10^{19} \times 10^{-2} \times 10^{-2} \times 10^{-3} \text{ m}^3$$

$$= 7 \times 10^{12} = n_e = n_h$$

$$\text{total} = n_e + n_h$$

$$= 14 \times 10^{12} \text{ Anu}$$

Q When n-type semiconductor is heated

\Rightarrow No. of electrons and holes increases equally.

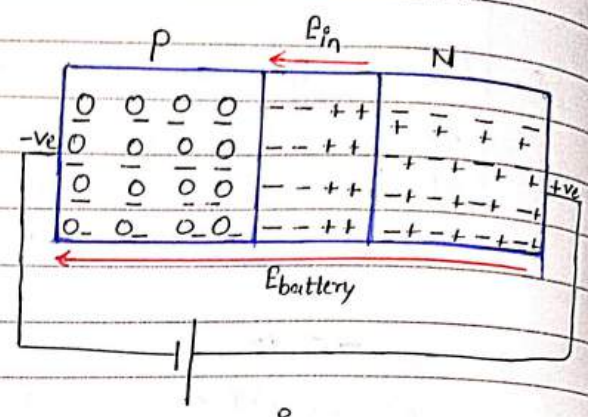
Q The rate of recombination or generation are governed by laws of

\Rightarrow Thermodynamics

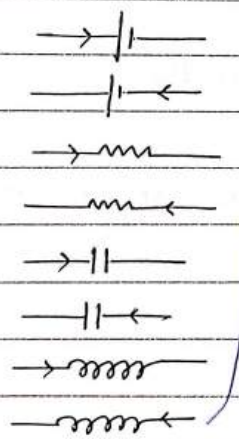
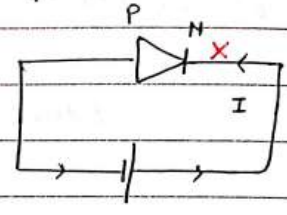
REVERSE BIAS

+ve terminal connected to N side
 -ve terminal connected to P side

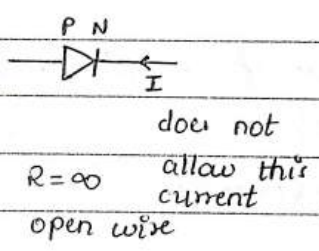
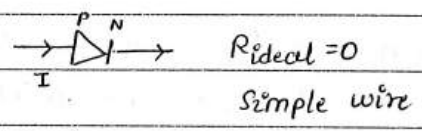
- Elect \uparrow
- ΔV (potential barrier) \uparrow
- width \uparrow
- Diffusion current \downarrow (mA) = 0
- Drift current \uparrow (uA)
- Resistance = infinite



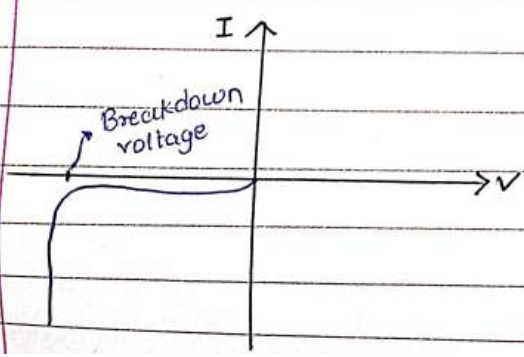
In Reverse biasing diode will behave as open wire.



Bidirectional current



I-V Graph for reverse bias.



Breakdown voltage \Rightarrow Voltage at which covalent bond will break in depletion region.

FORWARD BIAS

+ve terminal connected to P side

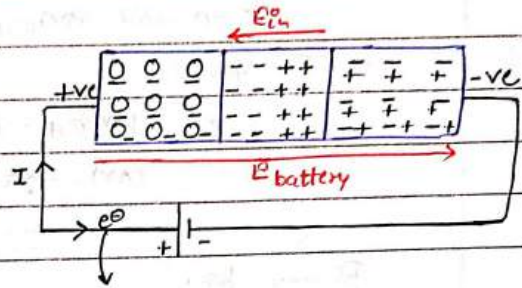
-ve terminal connected to NP side

$E_{net} \downarrow$

ΔV (Potential barrier) \downarrow

Width \downarrow

Diffusion current \uparrow



$R_{ideal} = 0$

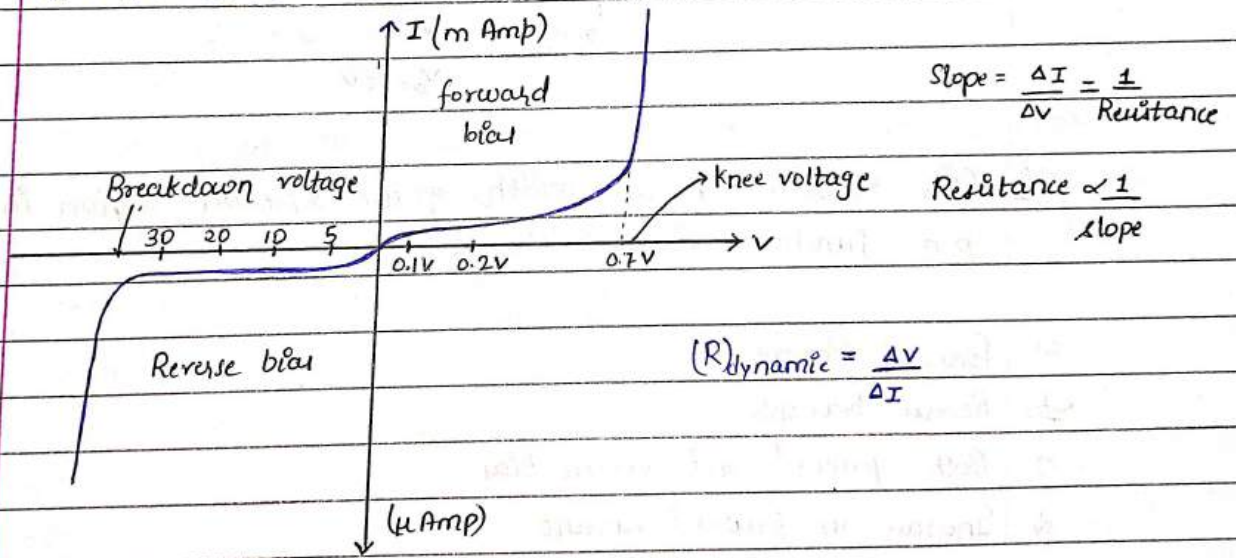
simple wire

$(\Delta V)_{diode} = 0$

$R_{practical} = \text{small}$

resistance bonded electron too gaya
 $(\Delta V)_{diode} = \text{small}$
voltage

I-V characteristic



Forward bias

Ideal

$R_{diode} = 0$

simple wire

$(\Delta V)_{diode} = 0$

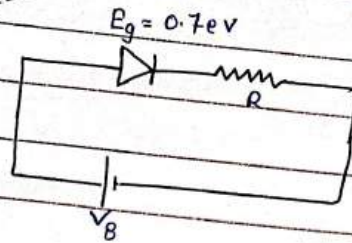
Practical

$R_{diode} = \text{small}$

$(\Delta V)_{diode} \approx \text{Band gap}$

in forward bias

Practical diode



1) For $V_B = 0.5 \text{ eV}$

$I = 0$ and $(\Delta V)_{\text{diode}} = 0.5 \text{ eV}$

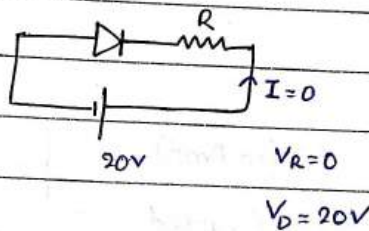
2) For $V_B = 2 \text{ eV}$

$I \neq 0$ $(\Delta V)_{\text{diode}} = 0.7 \text{ eV}$

$(\Delta V)_R = 1.3 \text{ eV}$

Reverse bias

No matter whether it is ideal/Practical



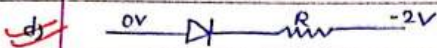
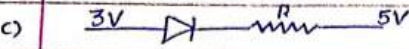
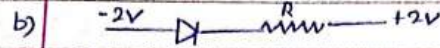
Q The increase in the width of the depletion region in a p-n junction diode is due to

- a) Forward bias only
- ~~b~~ b) Reverse bias only
- c) Both forward and Reverse bias
- d) Increase in forward current

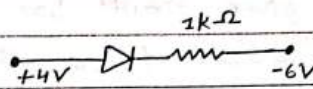
Q Depletion layer consists of

- a) mobile ions ~~is~~ immobile ions
- b) protons
- c) electrons

Q Which one of the following represents forward bias diode?



Q Consider the junction diode as ideal. The value of current flowing through AB is



a) 10^{-1} A

b) 10^{-3} A

c) 0 A

~~d)~~ 10^{-2} A

Ans $(AV)_R = 4 - (-6) = +10 \text{ V}$

$$I = \frac{V}{R} = \frac{10}{10^3} = 10^{-2} \text{ A} \text{ Ans}$$

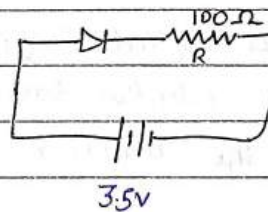
Q In the given figure, a diode D is connected to an external resistance $R = 100 \Omega$ and an emf of 3.5 V . If the barrier potential developed across the diode is 0.5 V the current in the circuit will be.

a) 20 mA

b) 35 mA

~~c)~~ 30 mA

d) 40 mA



Ans $(AV)_R = 3.5 - 0.5 = 3 \text{ V}$

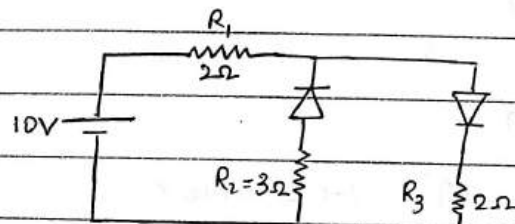
$$I = \frac{V}{R} = \frac{3}{10^2} = 30 \text{ mA} \text{ Ans}$$

Q In a p-n junction diode, change in temperature due to heating.

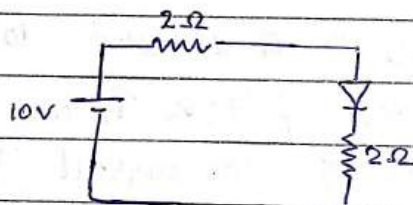
- a) Affects only reverse resistance
- b) Affects only forward resistance
- c) Does not affect resistance of p-n junction.
- ~~d)~~ Affects the overall V-I characteristics of p-n junction.

Q In the given circuit has two ideal diodes connected as shown in the figure. The current flowing through the resistance R_1 will be

- ~~a)~~ 2.5 A
- b) 10.0 A
- c) 1.43 A
- d) 3.13 A



⇒



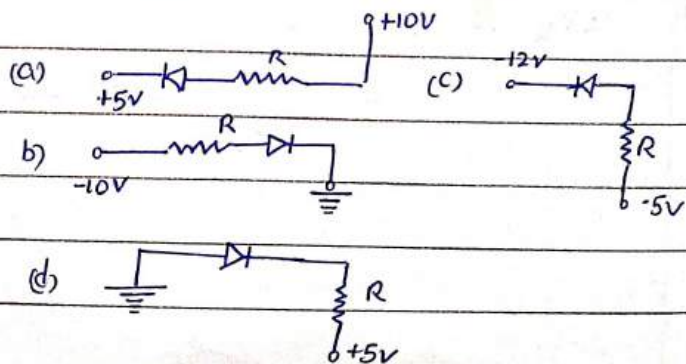
$$I = \frac{V}{R} = \frac{10}{4} = 2.5 \text{ A}$$

Q Reverse bias applied to junction diode

- ~~a)~~ Raises the potential barrier.
- b) Increases the minority carrier current

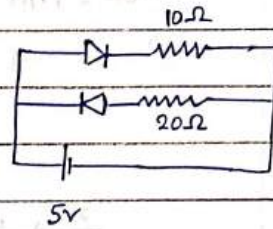
Q In the following figure, the diodes which are forward biased are

- a) a, b, and d
- b) c only
- ~~c)~~ c and a
- d) b and d



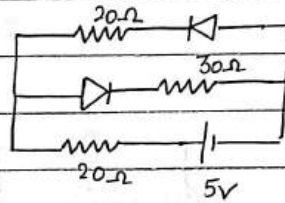
Q Two ideal diodes are connected to a battery as shown in the circuit. The current supplied by the battery is

- a) 0.75 A
- b) 2 A
- c) 0.25 A
- ~~d) 0.5 A~~



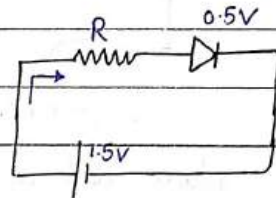
Q The current in the circuit will be

$$\Rightarrow I = \frac{V}{R} = \frac{5}{50}$$



Q The diode used in the circuit shown in the figure has a constant voltage drop of 0.5 V at all currents and a maximum power rating of 100 milliwatts. What should be the value of the resistor R, connected in series with diode for obtaining maximum current

ANS Maximum power \Rightarrow at maximum current



$$P = VI$$

$$100 \times 10^{-3} = 0.5 I$$

$$I = 0.2 \text{ A}$$

$$V_R = 1 \text{ V}$$

$$V = IR$$

$$R = \frac{1}{0.2} = 5 \Omega \text{ Ans}$$

Q An LED is constructed from a p-n junction diode using GaAsP. The energy gap is 1.9 eV. The wavelength of the light emitted will be equal to.

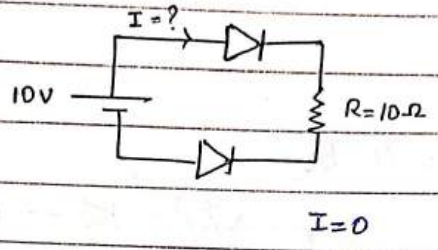
$\Rightarrow E = \frac{hc}{\lambda}$

$\frac{12400}{1.9} = \lambda (\text{\AA})$

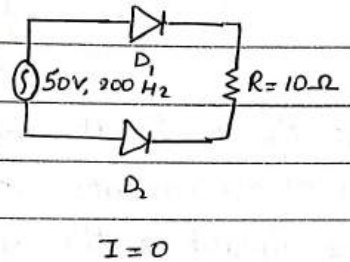
$\Rightarrow 6540 \text{\AA}$

$\Rightarrow 654 \text{ nm Ans}$

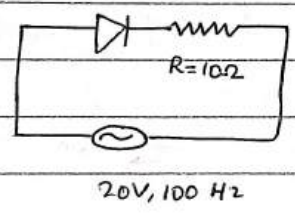
Q



Q



Q



Power drop in resistance?

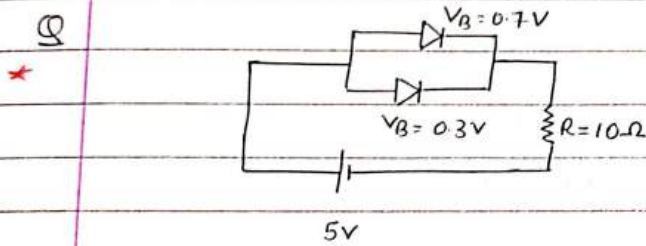
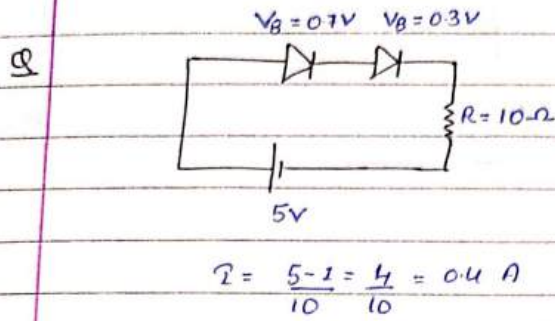
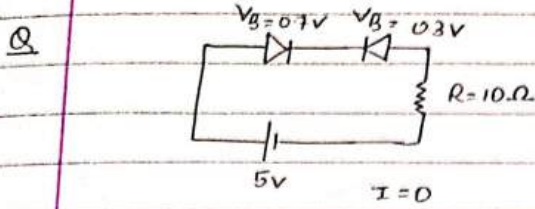
$\Rightarrow \text{Power} = \frac{V_{rms}^2}{R} = \frac{20 \times 20}{10} = 40W$

But ans $\neq \frac{40}{2} = 20W \text{ Ans}$

OR it is half wave rectifier

$I_{rms}' = \frac{I_0}{2} = \frac{I_{rms}}{\sqrt{2}} = \frac{20}{10} = \frac{2}{\sqrt{2}} = \sqrt{2} A$

$\text{Power} = I_{rms}^2 R$
 $= 2 \times 10 = 20W \text{ Ans}$



$I = ?$

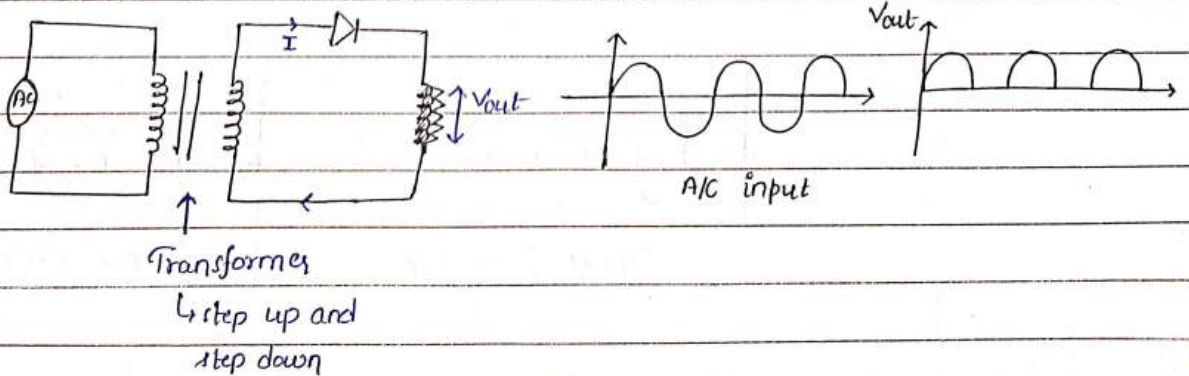
$$5 - 0.3 = 4.7$$

$$\Rightarrow I = \frac{4.7}{10} = 0.47 A \text{ Ans}$$

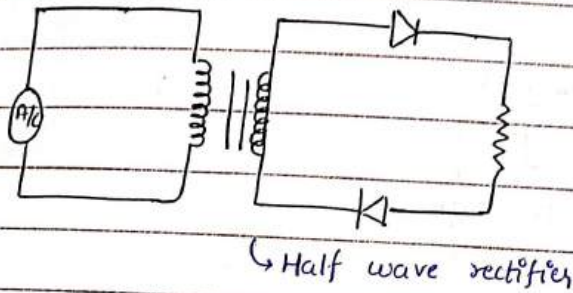
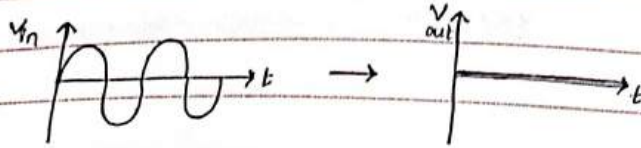
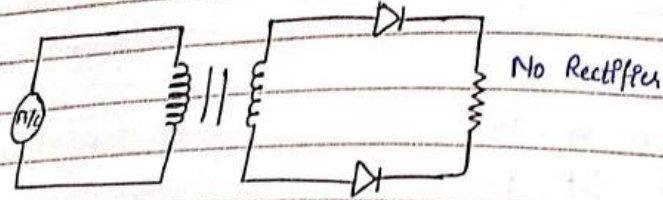
Half wave Rectifier

convert AC to DC

(Ripple frequency) output frequency = input frequency

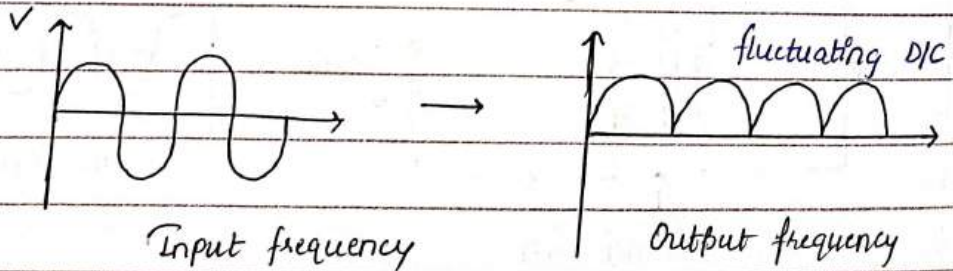
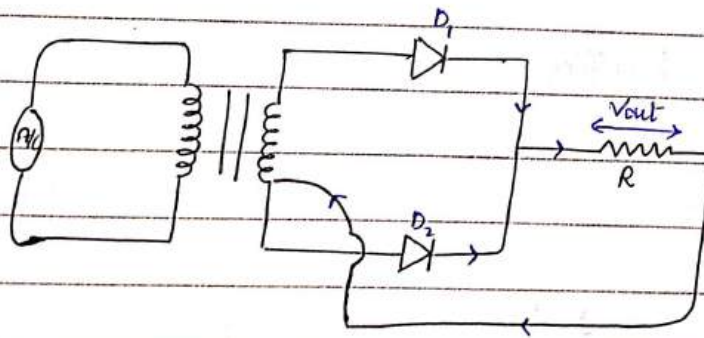


Full Wave Rectifier



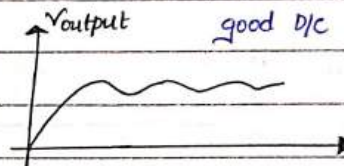
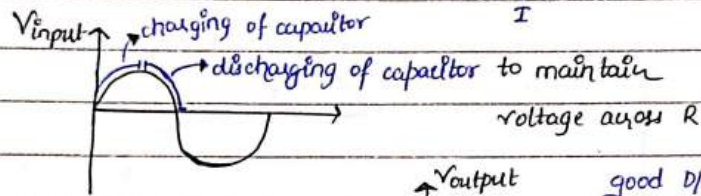
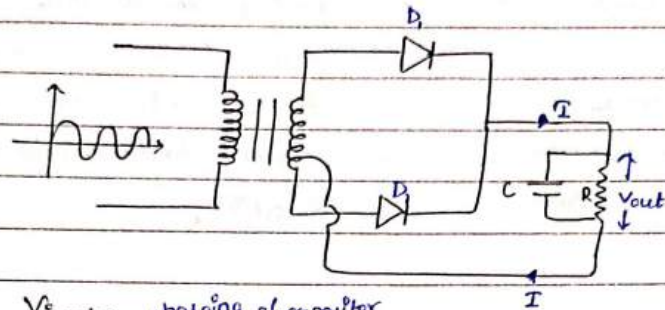
Full wave rectifier.

Converts Alternating current to variable direct current.



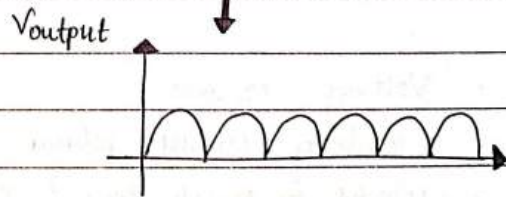
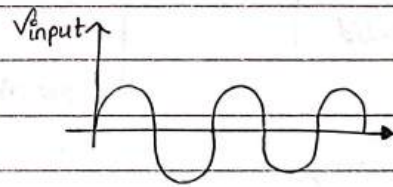
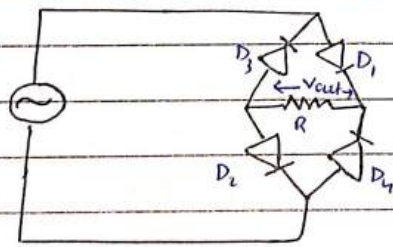
Output frequency = $2 \times$ input frequency

Capacitor filter circuit (full wave rectifier)



Full wave rectifier

Bridge rectifier



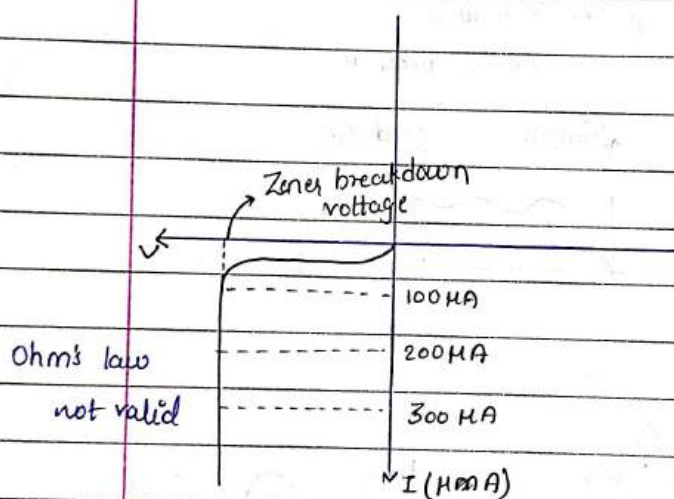
width of depletion region $\propto \frac{1}{\text{doping level}}$

Breakdown

Avalanche breakdown

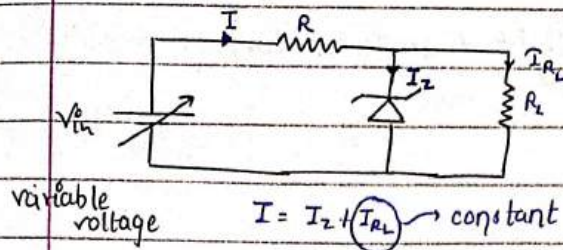
Zener Breakdown

- | | |
|---|--|
| <ul style="list-style-type: none">• Low doped semiconductor• Depletion width thick• Not reversible• Covalent bond will break due to collision between minority e^- and covalent bonded electrons. | <ul style="list-style-type: none">• High doped semiconductor• Depletion width thin• Covalent bond will break due to electric field in reverse biased condition• Reversible. |
|---|--|



ZENER DIODE

- Voltage regulator
- Maintain constant voltage
- Works in reverse biased condition at Zener breakdown voltage.
- Resistance of Zener diode is not defined.



$V_{out} \geq V_Z$
(diode will on)

$V_Z > V_{out}$
diode will off
does not work

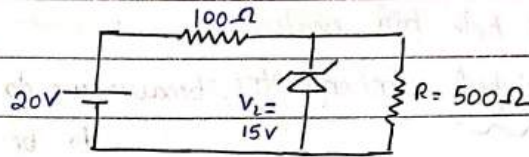
$V_{out} = V_Z$

$I_{R_L} R_L = V_Z = V_{out}$

$I_Z = 0$

↑ constⁿ
constⁿ constⁿ

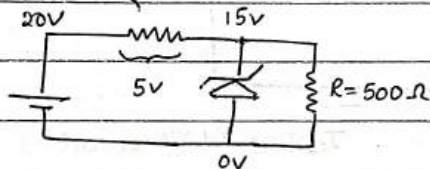
Q Find current in Zener



ANS $V_{R_L} = V_Z = 15V$

$I_{R_L} = \frac{500 \cdot 15}{500 \cdot 100} = 0.03 \text{ Amp}$

$I = \frac{5}{100} \text{ Amp}$



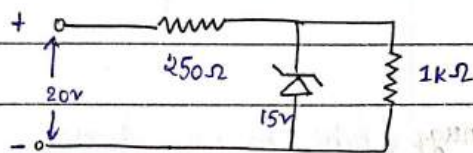
$I = I_Z + I_{R_L}$

$0.05A - 0.03A = I_Z = 0.02A$

Since Resistance of Zener diode is not defined therefore we cannot find current by the formula $\rightarrow \frac{\text{Total emf}}{\text{Total Resistance}}$

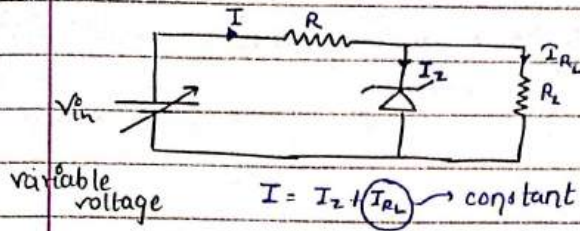
Q A Zener diode, having breakdown voltage equal to 15, is used in a voltage regulator circuit shown in figure. The current through the diode is.

ANS $I = \frac{5}{250} = \frac{1}{50} A = 20mA$



$I_{R_L} = \frac{15}{1000} = 15mA$

$I_Z = 5mA$ Ans



$V_{out} \geq V_Z$
(diode will on)

$V_Z > V_{out}$
diode will off
does not work

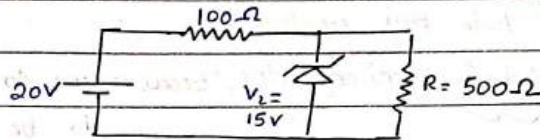
$V_{out} = V_Z$

$I_{R_L} R_L = V_Z = V_{out}$

$I_Z = 0$

↑ constⁿ
constⁿ constⁿ

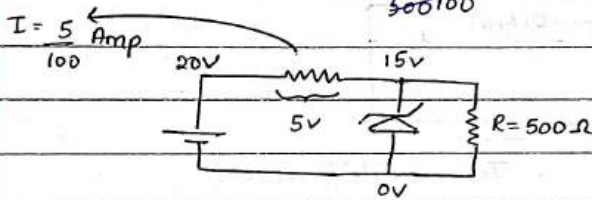
Q Find current in Zener



ANS $V_{R_L} = V_Z = 15V$

$I_{R_L} = \frac{500 - 15}{500} = 0.03 \text{ Amp}$

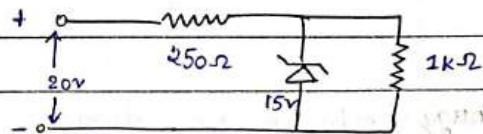
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$I = I_Z + I_{R_L}$
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Q A Zener diode, having breakdown voltage equal to 15, is used in a voltage regulator circuit shown in figure. The current through the diode is.

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$I_{R_L} = \frac{15}{1000} = 15mA$

$I_Z = 5mA$ Ans

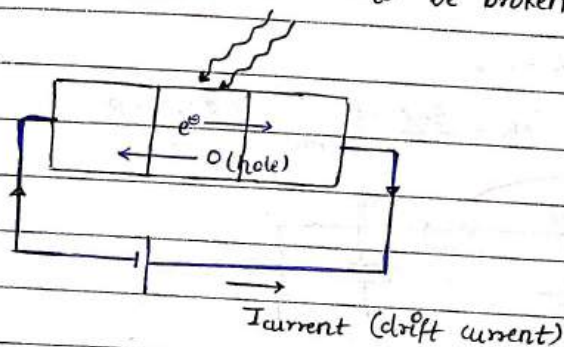
light energy
to

Photo-electronic circuit (light + semiconductor)

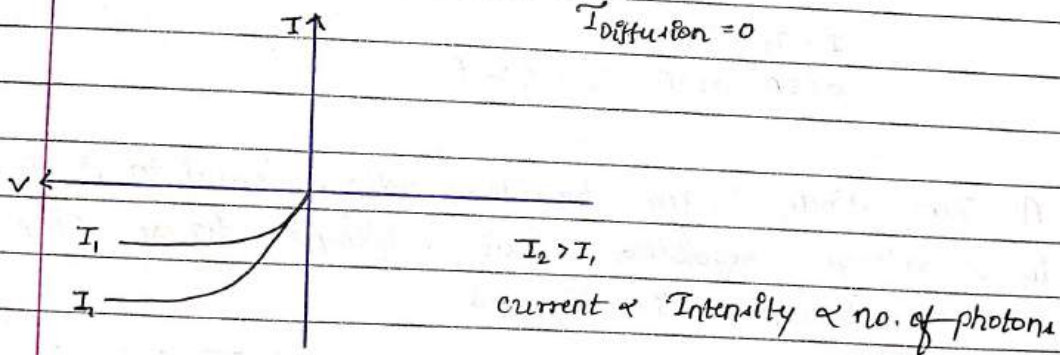
electrical energy

Symbol 

- Used to detect signal (optical signal)
- Reverse biased
- It measures intensity of signal
- e^- does not come out of diode due to falling of light but e^- hole pair created
- Low doped semiconductor, because we do not want covalent bonds to be broken down



$I_{diffusion} = 0$



Electrical energy
to

Light emitting diode

light energy

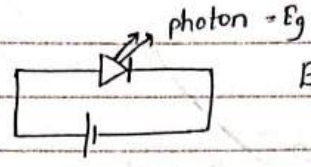
Formed using GaAs semiconductor

Used in forward condition

Photon emitted due to e^- hole pair recombination

Cannot be formed using Si & Ge

→ High doped

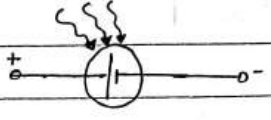


Energy of visible light = 1.4eV



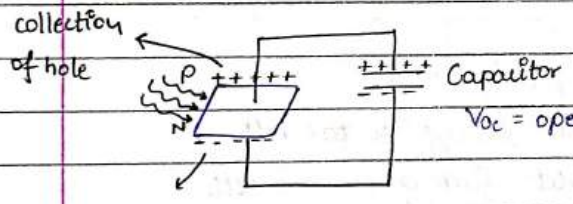
Solar energy to Solar cell

Symbol

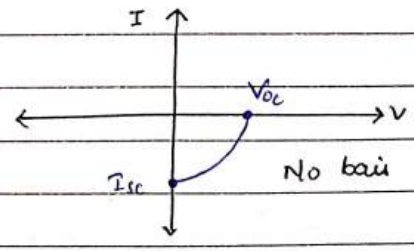
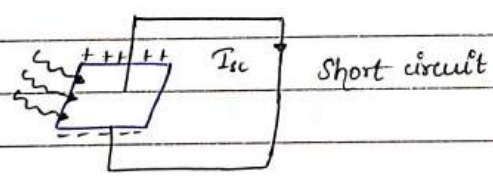
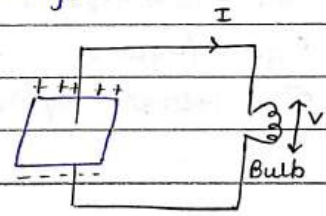


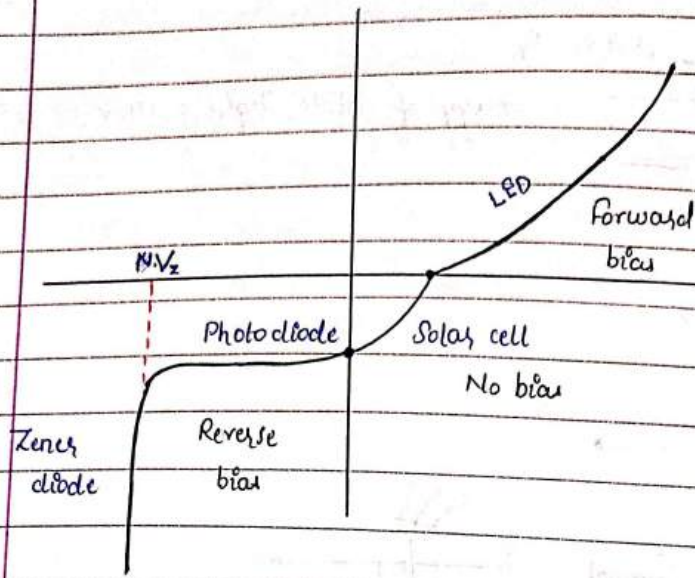
light energy Series and parallel combination of large number of photodiode.

* No biasing



V_{oc} = open circuit voltage

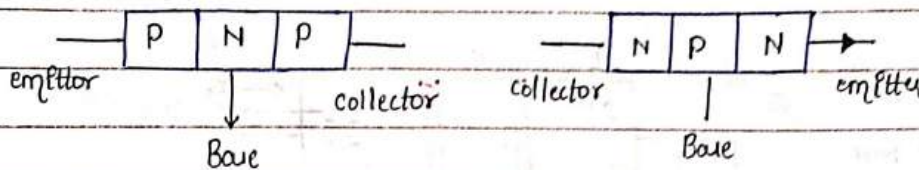




Q In a p-n junction photo cell, the value of the photo-electromotive force produced by monochromatic light is proportional to

- a) The barrier voltage at the p-n junction
- b) The intensity of the light falling on the cell
- c) The frequency of the light falling on the cell.
- d) The voltage applied at the p-n junction.

Triode \Rightarrow Transistor \rightarrow Junction transistor



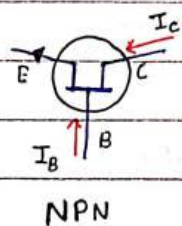
• Arrow is always present at emitter

• I_E along arrow

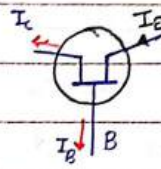
• $I_C + I_B = I_E$

• NPN transistor

Agar current bahar nikalta hai



NPN



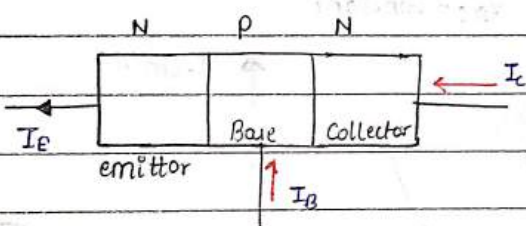
PNP transistor

current pe kaha hai

NPN is more useful than PNP

\downarrow
 $m_e > m_h$ [And NPN has large no of electron]

Transistor

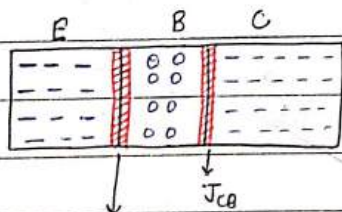


Doping level \rightarrow

$E > C > B$
minimum

Length of crystal (not doping depletion width)
 $L_C > L_E > L_B$

$I_B + I_C = I_E$

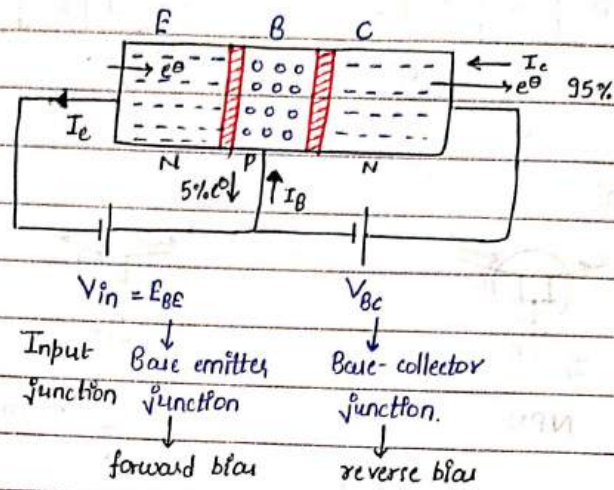


Barrier potential = Junctional

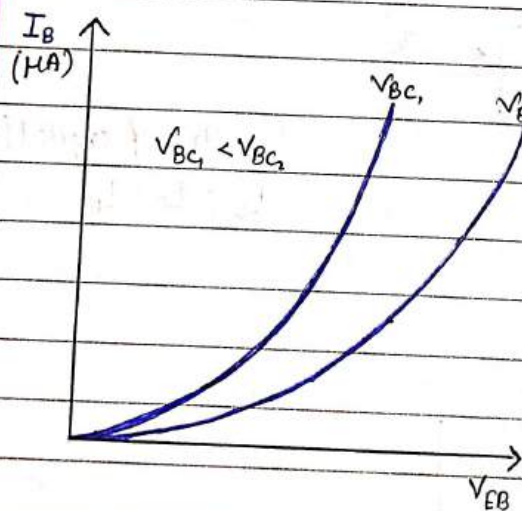
J_{EB} potential

Working of NPN Transistor

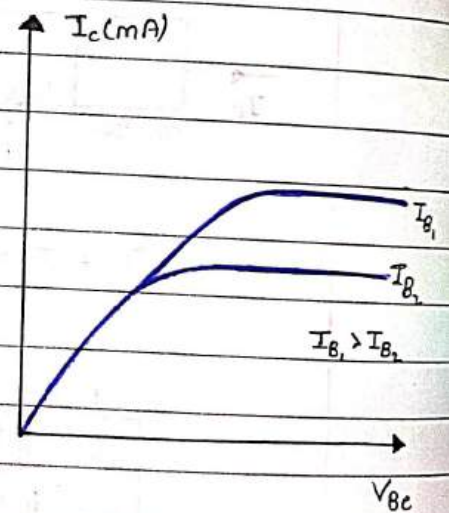
- Let 100 e^- injected from emitter to base
- ↳ Almost 5% e^- hole pair will recombine in base
- ↳ these 5% e^- hole pair will new formed and come out as I_B
- ↳ 95% will be collected by collector



Input characteristic



Output characteristic



If $V_{BC} \uparrow$
 then force on coming electron
 e^- increases
 electrons coming out of B \downarrow
 $\therefore I_B$ will decrease

and also due to increase in
 reverse bias the knee voltage
 will increase.

$$\beta \text{ (current gain)} = \frac{I_c}{I_B}$$

Here V_{BE} should
 remain constant
 \therefore as $I_B \uparrow$ I_c
 also increases

Q A n-p-n transistor conducts when.

→ collector is positive and emitter is negative with respect to the base.

Q One way in which the operation of n-p-n transistor differs from that of p-n-p?

→ The emitter injects hole into the base of the p-n-p and electrons into the base region of n-p-n.

	J_{BE}	J_{BC}	Working
1)	R.B.	R.B.	cut off region
2)	F.B.	R.B.	Active region
3)	F.B.	F.B.	saturation region
4)	R.B.	F.B.	Reverse active region

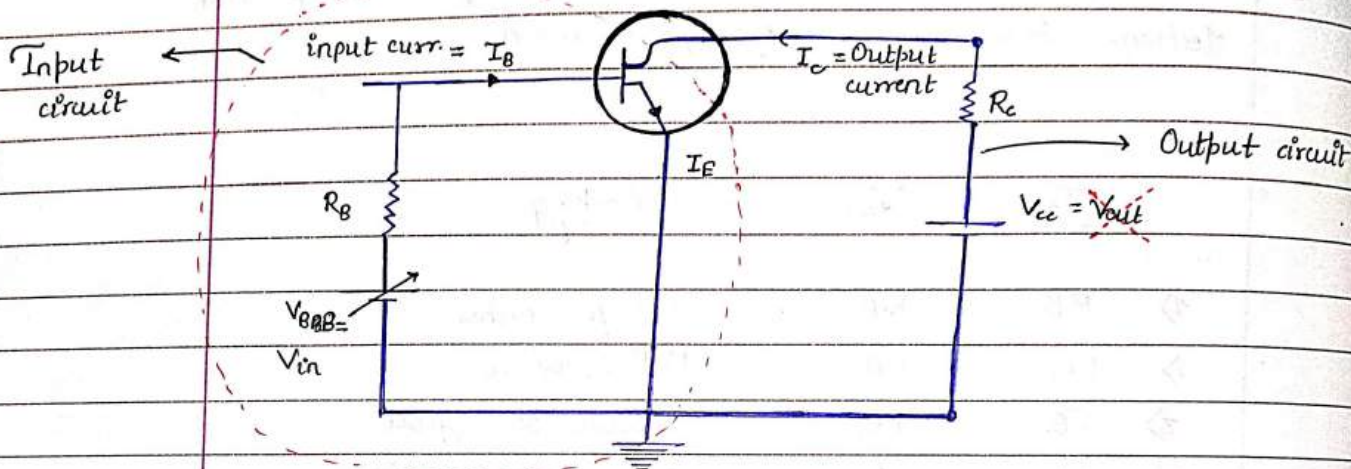
Common base → Not in syllabus X
Common collector

Common Emitter

Input ⇒ Base	Output ⇒ collector	I_E Bekas hai
I_B = Base current	I_C = Output current	R_E nahin hoga
= Input current	= collector current	Emitter directly
R_B = Base resistance	R_C = Output resistance	grounded.
Input resistance	Collector resistance	
V_{BE} = Input voltage	Load resistance	
	V_{CE} = Output voltage	

Common emitter transistor as a amplifier

a piece of electrical equipment for making sounds louder or signals stronger.



KVL in input circuit

$$V_{BB} - I_B R_B - V_{BE} = 0$$

$$V_{BB} = V_{in} = V_{BE} + I_B R_B$$

$$\boxed{V_{in} = V_{BE} + I_B R_B}$$

Differentiation

$$\Delta V_{in} = \cancel{\Delta V_{BE}} + R_B \Delta I_B$$

[In case of forward biasing $V_{BE} = \text{constant}$]

$$\boxed{\Delta V_{in} = R_B \Delta I_B}$$

KVL in output circuit

$$V_{CC} - I_C R_C - V_{CE} = 0 \rightarrow V_{\text{output}}$$

$$\cancel{V_{CC}} = V_{out} = -V_{CE} + I_C R_C$$

$$\boxed{V_{out} = -V_{CE} + I_C R_C}$$

$$\boxed{V_{CE} = V_{out} = V_{CC} - I_C R_C}$$

$$\Delta V_{out} = \cancel{\Delta V_{CC}} - R_C \Delta I_C$$

$$\boxed{\Delta V_{out} = -R_C \Delta I_C}$$

$$\text{Current gain } (\beta) = \frac{\text{Output current}}{\text{Input current}} = \left(\frac{I_c}{I_b} \right)_{D/C} = \left(\frac{\Delta I_c}{\Delta I_b} \right)_{A/C}$$

unit and dimensionless. $\beta > 1$

$$\text{Voltage gain } (A_v) = \frac{\text{Output voltage}}{\text{Input voltage}} = \frac{-R_c \Delta I_c}{R_B \Delta I_b} = \frac{-R_c \beta}{R_B} = \frac{-R_c \beta}{R_{in}} \quad R_L = \text{load}$$

$$\text{Power gain } (A_p) = \frac{\Delta I_c \Delta V_{out}}{\Delta I_b \Delta V_{in}} = \frac{R_L \beta^2}{R_{in}} = \frac{V_{out} \beta}{V_{in}}$$

$$A_p = A_v \beta$$

$$\text{Transconductance } (g_m) = \frac{\text{Output}}{\text{Input}}$$

$$\text{unit} = \text{mho } \left(\frac{1}{\Omega} \right) \Rightarrow \frac{\text{collector current}}{\text{Base voltage}} = \frac{I_c}{V_{in}} = g_m$$

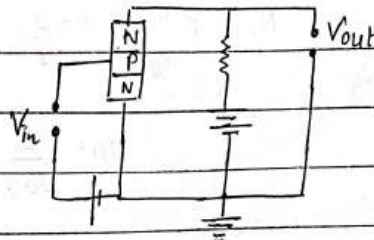
constant for a transistor

$$g_m = \frac{I_c}{V_{in}} \times \frac{I_b}{I_b} = \frac{\beta}{R_{in}}$$

$$g_m = \frac{I_c}{V_{in}} \times \frac{V_{out}}{V_{out}} = \frac{A_v}{R_c}$$

Q An n-p-n transistor circuit is arranged as shown in the figure. It is a common

- a) Base amplifier circuit b) Collector amplifier circuit
~~c) Emitter amplifier circuit~~ d) None of these



Q In a common emitter transistor amplifier the audio signal voltage across the collector is 3V. The resistance of collector is $3k\Omega$. If current gain is 100 and the base resistance is $2k\Omega$, the voltage and power gain of the amplifier is.

- a) 15 and 200 ~~(b)~~ 150 and 15000
c) 20 and 2000 (d) 200 and 1000

Ans

$$V_{out} = 3V \quad A_v = \beta \frac{R_c}{R_B} = 100 \times \frac{3}{2} = 150$$

$$R_c = 3k\Omega$$

$$\beta = 100 \quad A_p = \beta^2 \frac{R_c}{R_B} = 100 \times 100 \times \frac{3}{2}$$

$$R_B = 2k\Omega \quad \Rightarrow 15000$$

Q In a CE transmitter amplifier, the audio signal voltage across the collector resistance of $2k\Omega$ is 2V. If the base resistance is $1k\Omega$ and the current amplification of the transistor is 100, the input signal voltage is.

- a) 0.1V (b) 1.0V
c) 1mV ~~(d)~~ 10mV

Ans

$$V_{out} = 2V$$

$$R_c = 2k\Omega$$

$$R_B = 1k\Omega$$

$$\beta = 100$$

$$A_v = \beta \frac{R_c}{R_B} = 100 \times \frac{2}{1} = 200 = \frac{V_{out}}{V_{in}}$$

$$V_{in} = \frac{2}{200} = 10mV$$

Q For a CE transmitter amplifier, the audio signal voltage across the collector resistance of $2k\Omega$ is $4V$. If the current amplification factor of the transistor is 100 and the base resistance is $1k\Omega$, then the input signal voltage is.

- a) $10mV$ b) $20mV$
c) $30mV$ d) $15mV$

→ $V_{out} = 4V$
 $R_c = 2k\Omega$ $A_v = \frac{\beta R_c}{R_B} = \frac{100 \times 2}{1} = 200$
 $\beta = 100$
 $R_B = 1k\Omega$ $V_{in} = \frac{A_v V_{out}}{A_v} = \frac{4}{200} = 20mV$ Ans

Q A npn transistor is connected in common emitter configuration in a given amplifier. A load resistance of 800Ω is connected in the collector circuit and the voltage drop across it is $0.8V$. If the current amplification factor is 0.96 and the input resistance of the circuit is 192Ω , the voltage gain and the power gain of the amplifier will respectively be.

- a) $4, 4$ b) $4, 3.69$
c) 4.384 d) $3.69, 3.84$

Ans $R_L = 800\Omega$
 $\beta = 0.96$
 $R_B = 192\Omega$
 $A_v = \frac{\beta R_L}{R_B} = \frac{0.96 \times 800}{192} = 4$
 $A_p = \frac{\beta^2 R_L}{R_B} = \frac{0.96 \times 0.96 \times 800}{192} = \frac{96 \times 0.96}{24} = 3.84$ Ans

Q The input resistance of a silicon transistor is $100\ \Omega$. Base current is changed by $40\ \mu\text{A}$ which results in a change in collector current by $2\ \text{mA}$. This transistor is used as a common emitter amplifier with a load resistance of $4\ \text{k}\Omega$. The voltage gain of the amplifier is.

- ⇒ (a) ~~2000~~ (b) 3000
 (c) 4000 (d) 1000

Ans

$$R_B = 100\ \Omega$$

$$\Delta I_B = 40\ \mu\text{A}$$

$$\Delta I_C = 2\ \text{mA}$$

$$R_L = 4\ \text{k}\Omega$$

$$A_v = \frac{\Delta I_C R_L}{R_B \Delta I_B} = \frac{2\ \text{mA} \times 4\ \text{k}}{20\ \mu\text{A} \times 100\ \Omega}$$

$$= \frac{10^3 \times 10^3}{500}$$

$$\Rightarrow \frac{10^6}{5} = 2 \times 10^5$$

Q A transistor is operated in common emitter configuration at $V_C = 2\ \text{V}$ such that a change in the base current from $100\ \mu\text{A}$ to $300\ \mu\text{A}$ produces a change in the collector current from $10\ \text{mA}$ to $20\ \text{mA}$. The current gain is....

- (a) 50 (b) 75
 (c) 100 (d) 25

Ans

$$\Delta I_B = 200\ \mu\text{A}$$

$$\Delta I_C = 10\ \text{mA}$$

$$\beta = \frac{\Delta I_C}{\Delta I_B} = \frac{10 \times 10^{-3}}{200 \times 10^{-6}} = \frac{1000}{20} = 50$$

Q A common emitter amplifier has a voltage gain of 50 an input impedance of $100\ \Omega$ and an output impedance of $200\ \Omega$. The power gain of the amplifier is.

$$\Rightarrow A_v = 50$$

$$R_B = 100 \Omega$$

$$R_C = 200 \Omega$$

$$A_v = \beta \frac{R_C}{R_B}$$

$$\frac{50 \times 100}{200} = 25$$

$$A_p = \beta^2 \times \frac{R_C}{R_B} = \frac{25 \times 25 \times 200}{100} = 1250 \text{ Ans}$$

Q A transistor is operated in CE configuration at $V_{CE} = 2V$, such that a change in base current from $100 \mu A$ to $200 \mu A$ produces a change in the collector current from 9 mA to 16.5 mA .
The value of current gain is.....

Ans $V_{CE} = 2V$

$$\Delta I_B = 100 \mu A$$

$$\Delta I_C = 7.5 \text{ mA}$$

$$\beta = \frac{7.5 \times 10^{-3}}{10^{-4}} = 75 \text{ Ans}$$

Q The input resistance of a silicon transistor is $1 \text{ k}\Omega$. If base current is changed by $100 \mu A$, it causes the change in collector current by 2 mA . This transistor is used as a CE amplifier with a load resistance of $5 \text{ k}\Omega$. What is the AC voltage gain of amplifier?

Ans $R_B = 1 \text{ k}\Omega$

$$\Delta I_B = 100 \mu A$$

$$\Delta I_C = 2 \text{ mA}$$

$$R_C = 5 \text{ k}\Omega$$

$$A_v = \frac{R_C \Delta I_C}{R_B \Delta I_B} = \frac{5 \times 2 \text{ mA}}{1 \times 100 \mu A} = \frac{10^{-3} \times 10^6}{10} = 100 \text{ Ans}$$

Q What is the voltage gain in a common emitter amplifier, where input resistance is 3Ω and load resistance is 24Ω ($\beta=0.6$)?

$\Rightarrow R_B = 3\Omega$ $A_V = \beta \frac{R_L}{R_B} = 0.6 \times \frac{24}{3} = 48$ Ans
 $R_L = 24$
 $\beta = 0.6$

Q A transistor cannot be used as.

- a) Amplifier b) Oscillator
 c) Modulator ~~d) Rectifier.~~

★ Q The relationship between α and β is given by

- a) $\alpha = \beta$ b) $\alpha = \frac{1}{\beta}$
~~c) $\beta = \frac{\alpha}{1-\alpha}$~~ d) $\beta = \frac{\alpha}{1+\alpha}$

Ans

Common emitter

Common base

$\beta = \frac{I_C}{I_B}$ $\beta > 1$ [Current gain]

$\alpha = \frac{I_C}{I_E}$ $\alpha < 1$

$\Rightarrow I_E = I_C + I_B$

Divide by collector both side

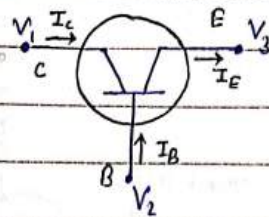
$\frac{I_E}{I_C} = 1 + \frac{I_B}{I_C}$

$\frac{1}{\alpha} = 1 + \frac{1}{\beta}$

$\frac{1-\alpha}{\alpha} = \frac{1}{\beta}$

$\beta = \frac{\alpha}{1-\alpha}$





Relation b/w V_1 & V_3

$$V_1 - V_{CE} = V_3$$

$$V_2 - V_{BE} = V_3$$

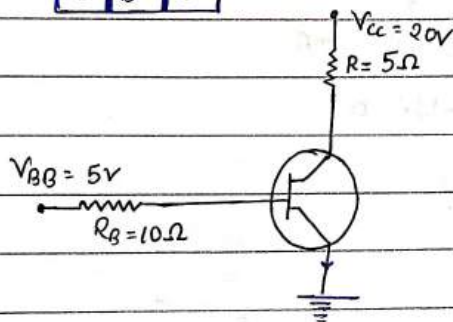
$$V_1 - V_3 = V_{CE}$$

$$V_{BE} = V_2 - V_3$$

$$V_{CB} + V_{BE} = V_{CE}$$



Q



Find I_B , I_C and β if $V_{CB} = 0$ & $V_{CE} = 0$

$$\rightarrow V_{BB} - V_{EB} = 0 \quad V_{BB} - I_B R_B - V_{EB} = 0$$

$$V_{EB} = 5V$$

$$5 - I_B R_B = V_{EB}$$

$$5 = I_B \times 10$$

$$I_B = 0.5A$$

$$V_{CC} - I_C R_C - V_{CE} = 0$$

$$20 - I_C \times 5 = V_{CE} = 0$$

$$I_C = \frac{20}{5} = 4A \quad \text{Ans}$$

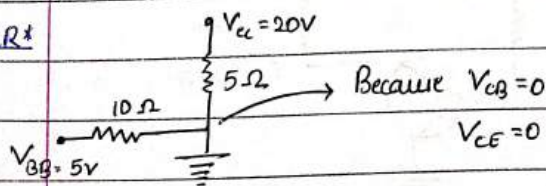
$$\beta = \frac{I_C}{I_B} = \frac{4}{0.5} = 8 \quad \text{Ans}$$

$$V_{CB} + V_{BE} = V_{CE}$$

$$0 + V_{BE} = V_{CE} = 0$$

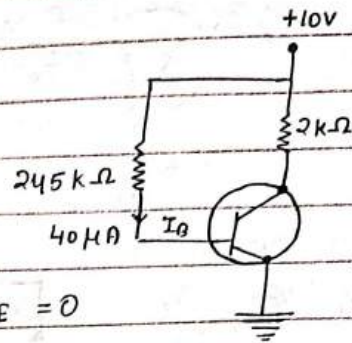
$$\therefore V_{BE} = 0$$

MR*



Q In the following transistor amplifier circuit $\beta = 50$. V_{CE} of the transistor is.

- a) 4V ~~b) 6V~~
- c) 10V d) 8V



Ans

$$10 - 245 \times 10^3 \times 40 \times 10^{-6} - V_{BE} = 0$$

$$10 - 2.45 \times 4 = V_{BE} \quad \text{No need to find } V_{BE}$$

$$0.2 = V_{BE}$$

$$\beta = \frac{I_c}{I_B} = \frac{I_c}{40 \mu A} = 50$$

$$I_c = 2 \times 10^{-3} \text{ A} = 2 \text{ mA}$$

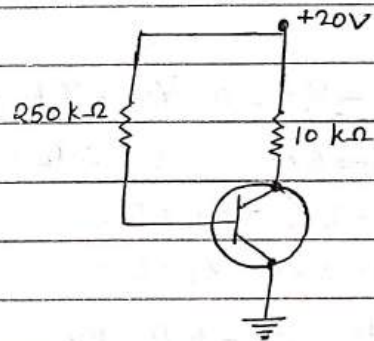
$$10 - 2 \times 10^3 \times 2 \text{ mA} - V_{CE} = 0$$

$$10 - 24 = V_{CE}$$

$$V_{CE} = 8 \text{ V}$$

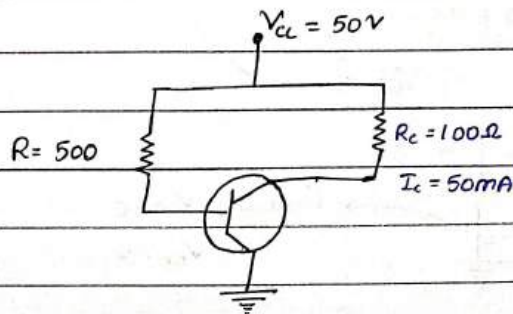
Q The given transistor amplifier connection is

- a) Common base connection
- ~~b) Common emitter connection~~
- c) Common collector connection
- d) All of these



⇒ Imp point There is a phase difference of π between input and output voltage

Q Find V_{BE} if $\beta = 50$



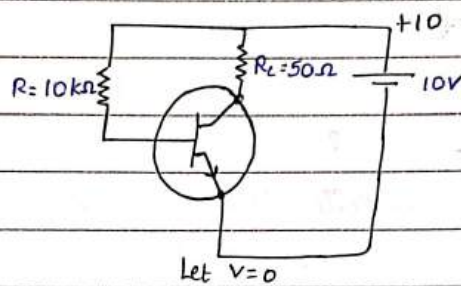
$$\Rightarrow \beta = \frac{I_c}{I_B} \quad \boxed{I_B = \frac{I_c}{\beta}}$$

$$I_B = \frac{50\text{mA}}{50} = 1\text{mA}$$

$$50 - 10^{-3} \times 500 - V_{BE} = 0$$

$$V_{BE} = 50 - 0.5 = 49.5\text{V} \text{ ANS}$$

Q If $V_{BE} = 0$ then find $V_{CE} = \underline{\hspace{2cm}}$, If $\beta = 100$



ANS $\beta = 100 = \frac{I_c}{I_B}$

$$10 - I_B \times 10\text{k}\Omega - V_{BE} = 0$$

$$10 - I_c \times 50\Omega - V_{CE} = 0$$

Given $V_{BE} = 0$

$$10 = I_B \times 10 \times 10^3$$

$$I_B = 10^{-3}\text{A}$$

$$\beta = 100 = \frac{I_c}{I_B}$$

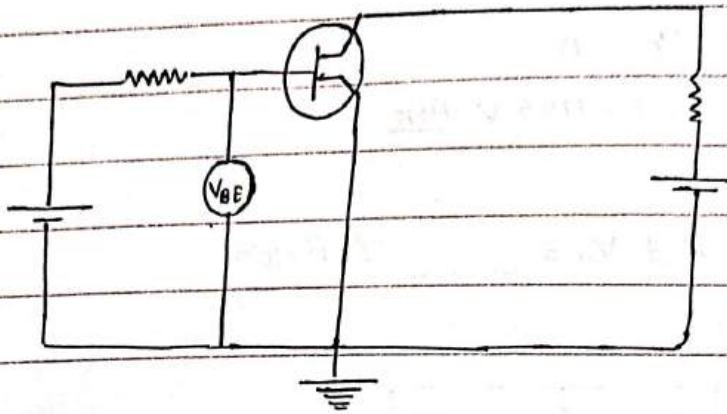
$$I_{Bc} = 100 \times I_B = 100 \times 10^{-3} = 0.1\text{A}$$

Now

$$10 - 0.1 \times 50 = V_{CE}$$

$$V_{CE} = 5\text{V} \text{ ANS}$$

Transistor as a switch (NPN)



$$V_{in} = V_{BE} + I_B R_B \quad \dots \dots \dots (i)$$

$$V_{out} = V_{CC} - I_C R_C \quad \dots \dots \dots (ii)$$

Case-1

If $V_{in} \approx 0.1$ volt

cut off region

$$I_B = 0 ; I_C = \beta I_B = 0$$

$$|V_{out}| = V_{CC} - I_C R_C = V_{CC} \quad \text{max}$$

$$V_{out} = V_{CC}$$

Case-2

$V_{in} = 0.4$ volt

$I_B \uparrow$

$$I_C \uparrow = \beta I_B$$

$$V_{out} = V_{CC} - (I_C R_C) \uparrow = \text{decrease}$$

Case-3

If $V_{in} =$ knee voltage $= 0.5$ volt or 0.7 volt

$I_B =$ sharp increase

$I_C =$ sharp increase

$V_{out} =$ decrease fast (sharp)

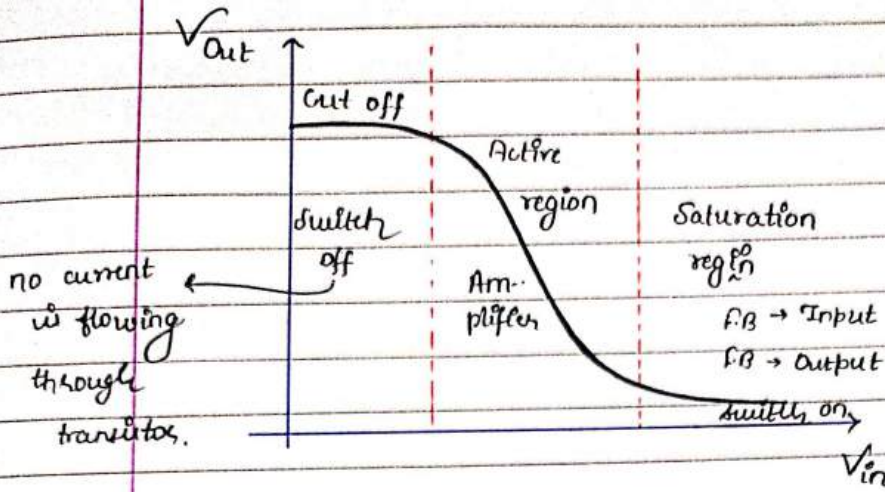
Case-4

$V_{in} >$ knee voltage

$I_B =$ maximum

$I_C =$ maximum

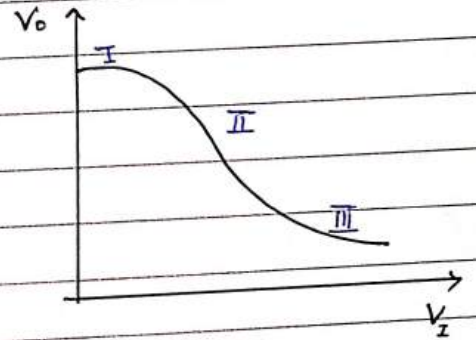
$$V_{out} = V_{CC} - I_C R_C \approx 0$$



Tab input '0' output high
Tab input high output zero

Q Transfer characteristic [output voltage (V_o) vs input voltage (V_i)] for a base biased transistor in CE configuration is as shown in the figure. For using transistor as a switch, it is used

- a) In region II b) In region I
c) In region III d) Both in region (I) & (III)



An oscillator is an amplifier with positive feedback